

# Discovering Sequential Disease Patterns in Medical Databases Using FreeSpan Mining Approach

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**Abstract—** In this work we employ FreeSpan, one of the sequential pattern mining methods, to discover sequential disease patterns in sequential database. For our study, we use a medical database which was built as a transactional database. There is a different representation data with sequential database that will be used as an input for FreeSpan method. Therefore, we build sequential database from medical databases. The generated patterns are used as knowledge to predict the sequential disease. Therefore, the medical representative can take preventive and curative actions more precise. To make the sequential disease patterns easily to understand, we visualize the pattern using graph.

## I. INTRODUCTION

DATA can be interpreted from a temporal or a sequential perspective, i.e. the order appearance elements are relevant. There are several methods to discover sequential patterns along the data currently, e.g. AprioriAll [1], GSP [2], FreeSpan [3], PrefixSpan [4], SPADE [5], CloSpan [6]. Several studies have contributed to the efficient mining of sequential patterns or other frequent patterns in time related data.

Sequential pattern mining, which discovers frequent sequences as patterns in a database, is an important data mining research problem with broad applications. In this paper, we employ FreeSpan [3] for discovering sequential disease pattern in the medial databases. FreeSpan is employed because the method is

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interesting, scalable, and efficient. Sequence disease represents an important source of potentially new medical knowledge to predict the sequential disease. Based on the knowledge, the medical representatives can take preventive and curative actions more precise.

The remaining of the paper is organized as follows. In Section 2 we overview the FreeSpan. The demonstrations to discover sequential pattern disease using FreeSpan are presented in Section 3. We summarize our work in Section 4.

## II. FREESPAN

Let  $I = \{i_1, i_2, \dots, i_n\}$  be a set of items. An itemset is a subset of items. A sequence is an ordered list of itemsets. A sequence  $s$  is denoted by  $\langle s_1 s_2 \dots s_l \rangle$ , where  $s_j$  is an itemset, i.e.,  $s_j \subseteq I$  for  $1 \leq j \leq l$ .  $s_j$  is also called an element of the sequence, and denoted as  $(x_1 x_2 \dots x_m)$ , where  $x_k$  is an item, i.e.,  $x_k \in I$  for  $1 \leq k \leq m$ . For brevity, the brackets are omitted if an element has only one item. That is, element  $(x)$  is written as  $x$ . An item can occur at most once in an element of a sequence, but can occur multiple times in different elements of a sequence. A sequence  $\alpha = \langle a_1 a_2 \dots a_n \rangle$  is called a subsequence of another sequence  $\beta = \langle b_1 b_2 \dots b_m \rangle$  and  $\beta$  a super sequence of  $\alpha$ , denote as  $\alpha \subseteq \beta$ , if there exist integer  $1 \leq j_1 < j_2 < \dots < j_n \leq m$  such that  $a_1 \subseteq b_{j_1}, a_2 \subseteq b_{j_2}, \dots, a_n \subseteq b_{j_n}$ .

A sequence database  $S$  is a set of tuples  $\langle sid, s \rangle$ , where  $sid$  is a sequence identifier and  $s$  is a sequence. A tuple  $\langle sid, s \rangle$  in a sequence database  $S$  is said to contain a sequence  $\alpha$ , if  $\alpha$  is a subsequence of  $s$ , i.e.,  $\alpha \subseteq s$ . The support of a sequence  $\alpha$  in a sequence database  $S$  is the number of tuples in the database containing  $\alpha$ . Given a positive integer  $\xi$  as the support threshold, a sequence  $\alpha$  is called a sequential pattern in sequence database  $S$  if the sequence is contained by at least  $\xi$  tuples in the database.

Given a sequence database  $S$  and the support threshold  $\xi$ , FreeSpan algorithm mine the complete set of sequential patterns as follows. At last, visualize the sequential diseases using graph.

### A. Generate a Length-1 Sequential Patterns

Scan  $S$  once to find the set of frequent items on distinct item of tuples in  $S$ . Save and sort them by descending order in a frequent list. The frequent list will be used throughout the mining process. The frequent items which fulfill the support threshold are used to construct a frequent item matrix  $F$ .

### B. Construct a Frequent Item Matrix

Construct a frequent item matrix  $F$  by scanning the database to count the occurrence frequency of each length-2 sequence formed by items in the frequent list, as follows. For frequent list  $\langle i_1, i_2, \dots, i_n \rangle$ ,  $F$  is a triangular matrix  $F[j, k]$ , where  $1 \leq j \leq m$  and  $1 \leq k \leq j$ ,  $m$  is the number of frequent items.  $F[j, j]$  (for  $1 \leq j \leq m$ ) has only one counter (recording the appearance of sequence  $\langle jj \rangle$ ), whereas every other slot  $F[j, k]$  ( $1 \leq j \leq m$  and  $1 \leq k \leq j$ ) has three counters:  $(A, B, C)$ .  $A$  is the number of occurrences that  $i_k$  occurs after  $i_j$ , i.e. the sequence contains  $\langle i_j i_k \rangle$ .  $B$  is that  $i_k$  occurs before  $i_j$ , i.e. the sequence contains  $\langle i_k i_j \rangle$ .  $C$  is that  $i_k$  occurs concurrently with  $i_j$ , i.e. the sequence contains  $\langle (i_j i_k) \rangle$ .

### C. Generate a Length-2 Sequential Patterns

Generate a length-2 sequential patterns and a set of projected database from the frequent item matrix. For each counter, if the value in the counter is no less than minimum support, output the corresponding frequent pattern.

*1) Generate annotations on item-repeating patterns for row  $j$ :* For the diagonal slot, if  $F[j, j] \geq$  minimum support, generate  $\langle jj^+ \rangle$ . The count of  $\langle jjj \rangle, \langle jjjj \rangle, \dots$  should be registered in the next round. For a column  $i \neq j$ , follow rules: If  $F[i, i] \geq$  minimum support, the annotation should contain  $i^+$ . It means there are potentially more than one  $i$  appearing in the sequential pattern. If  $F[j, j] \geq$  minimum support, the annotation should contain  $j^+$ . Moreover, if only one of the three counter of  $F[i, j]$  is frequent, sequence is used as the annotation; otherwise set is used. It means, enhance string filtering. The annotation of an item repeating pattern is of the form  $\$a_i^r a_i^r \$$ , where  $\$...\$$  can be either  $\langle ... \rangle$  (indicating looking for a particular ordered sequence only) or  $\{...\}$  (indicating looking for any ordered sequence), and  $a_i^r$  can be either  $a_i^+$  (indicating looking for more than one occurrence of  $a_i$ ), or  $a_i$  (i.e. no repeating  $a_i$ 's) – notice that at least one of  $a_i$  and  $a_i$  is a repeating one.

*2) Generate annotations on projected databases for row  $j$ :* for each  $i < j$ , if  $F[i, j], F[k, j]$ , and  $F[i, k]$  ( $k < i$ ) may form a pattern generating triple (i.e. all the corresponding pairs are frequent),  $k$  should be added to  $i$ 's projected column set. After examining all columns in front of  $i$ , the set of projected columns is determined. Output the annotation containing  $I, j$ , and

the set of projected columns. If there is a choice between sequence or set, sequence is preferred since it enforces a stronger restriction in the projection. The annotation of the projected database is of the form  $\$a_i a_j \$: \{b_p, \dots, b_q\}$ , where  $\$...\$$  has the same convention as the item repeating pattern, and  $\{b_p, \dots, b_q\}$  represents a set of frequent items which may occur together with  $\$a_i a_j \$$  to form longer sequential patterns in subsequent mining.

### D. Generate a Length-3 Sequential Patterns

Based on the annotation generated from the matrix, scan the database one more time and generate the item-repeating patterns and projected databases. The remaining mining will be confined to each small projected database, by examining only the corresponding patterns enclosed in the header set.

## III. DISCOVERING SEQUENTIAL DISEASE PATTERNS

In our study, we use RSU Dr. Soetomo medical databases (OLTP). Partly diagnosis structure table is shown in Table 1. The disease codes base on an international standard, ICD-X [7]. For example, A09.X is a disease code for Diarrhoea and gastroenteritis of presumed infectious origin. We built sequential database (OLAP) from diagnosis table as shown in Table 2. Given the sequence disease database  $S$ , the first two columns, in Table 2. The minimum support is 2. The discovering sequential disease patterns process can be done. The mining conceptual framework is show in Figure 1.

TABLE I  
PARTLY DIAGNOSIS STRUCTURE TABLE

Patient Id	Patient In Diagnosis 1	Diagnosis 2	Diagnosis 3
1450	04/14/07 A09.X		A41.9
1450	12/23/07 E86.X		
1450	05/25/08 A09.X		
1450	03/07/09 I10.X	E86.X	
...			
1456	08/09/07 C34.9	J90.X	
1456	03/10/08 C34.9	D63.0	J90.X

The first step (section 2.1), generate a length-1 sequential patterns, i.e. frequent list, by scanning  $S$ . The frequent list is sorted in descending order, i.e.  $\langle A09.X: 6, E86.X: 5, A41.9: 4, C34.9: 4, D63.0: 3, I10.X: 3, J90.X: 2 \rangle$ . E14.9 disease is not included into frequent list because its support less than 2.

TABLE II  
A DISEASE SEQUENCE DATABASE

Patient Id	Sequence	Disease Pattern
1450	<(A09.X A41.9) E86.X A09.X (I10.X E86.X)>	{A09.X, A41.9, E86.X, I10.X}
1451	<(A09.X D63.0) (E86.X C34.9) A09.X (D63.0 E14.9)>	{A09.X, C34.9, D63.0, E14.9, E86.X}
1452	<(I10.X J90.X) (A09.X D63.0) I10.X A09.X D63.0>	{A09.X, D63.0, I10.X, J90.X}
1453	<(A09.X C34.9) (E86.X C34.9) A41.9>	{A09.X, E86.X, A41.9, C34.9}
1454	<I10.X (A09.X A41.9) A09.X E86.X A09.X (I10.X A41.9 C34.9)>	{A09.X, A41.9, C34.9, E86.X, I10.X}
1455	<A09.X (A09.X E86.X) (A09.X A41.9)>	{A09.X, A41.9, E86.X}
1456	<(C34.9 J90.X) (C34.9 D63.0 J90.X)>	{C34.9, D63.0, J90.X}

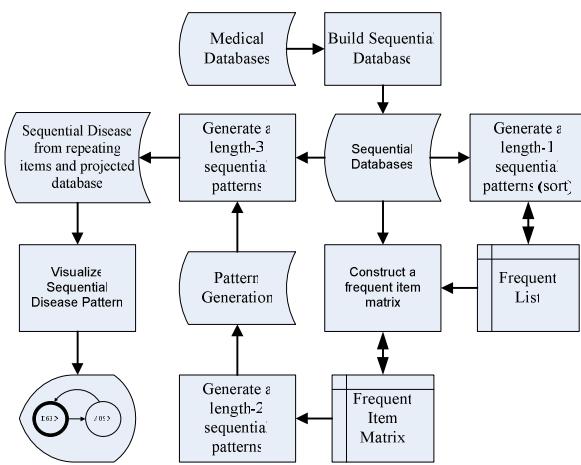


Fig. 1. The mining conceptual framework

The second step (section 2.2), construct a frequent item matrix. In our example, the frequent list consists of 7 items. It leads to generate a  $7 \times 7$  triangular frequent item matrix, with every counter initialized to 0. For example, we fill up the counter matrix with the first tuples sequence disease in Table 2, i.e.  $\langle(A09.X A41.9) E86.X A09.X (I10.X E86.X)\rangle$ . It generates a combination sequence diseases of  $\langle(A09.X A41.9)\rangle$ ,  $\langle(I10.X E86.X)\rangle$ ,  $\langle A09.X A09.X\rangle$ ,  $\langle A09.X E86.X\rangle$ ,  $\langle A09.X I10.X\rangle$ ,  $\langle A41.9 A09.X\rangle$ ,  $\langle A41.9 E86.X\rangle$ ,  $\langle A41.9 I10.X\rangle$ ,  $\langle E86.X A09.X\rangle$ ,  $\langle E86.X E86.X\rangle$ , and  $\langle E86.X I10.X\rangle$ . The sequence  $\langle A09.X I10.X\rangle$  increases the counter matrix  $F[A09.X, I10.X]$  by 1, i.e.  $F[A09.X, I10.X] = (1,0,0)$ . The  $\langle A41.9 A09.X\rangle$  and  $\langle A09.X A41.9\rangle$  increase the counter matrix  $F[A09.X, A41.9]$  by 1, i.e.  $F[A09.X, A41.9] = (0,1,0)$ . The  $\langle A09.X E86.X\rangle$  and  $\langle E86.X A09.X\rangle$  increase the counter matrix  $F[A09.X, E86.X]$  by 1, i.e.  $F[A09.X, E86.X] = (1,1,0)$ . The  $\langle E86.X I10.X\rangle$  and  $\langle(I10.X E86.X)\rangle$  increase the counter matrix

$F[E86.X, I10.X]$  by 1, i.e.  $F[E86.X, I10.X] = (1,0,1)$ . The  $\langle A41.9, E86.X\rangle$  increases the counter matrix  $F[E86.X, A41.9]$  by 1, i.e.  $F[E86.X, A41.9] = (0,1,0)$ . The  $\langle A41.9 I10.X\rangle$  increases the counter matrix  $F[A41.9, I10.X]$  by 1, i.e.  $F[A41.9, I10.X] = (1,0,0)$ . The last  $\langle A09.X A09.X\rangle$  increases the counter matrix  $F[A09.X, A09.X]$  by 1 (i.e.  $F[A09.X, A09.X] = 1$ ) and  $\langle E86.X E86.X\rangle$  increases the counter matrix  $F[E86.X, E86.X]$  by 1 (i.e.  $F[E86.X, E86.X] = 1$ ). The process continues along tuples the sequential database. At the end of the second step, the frequent item matrix is shown in Figure 2. The counter matrixes which are greater than or equal minimum support are written in a bold font.

A09.X	<b>5</b>						
E86.X	<b>(5,4,1)</b>	1					
A41.9	<b>(3,2,3)</b>	<b>(3,2,0)</b>	1				
C34.9	<b>(3,1,1)</b>	<b>(1,1,2)</b>	<b>(1,1,1)</b>	<b>2</b>			
D63.0	<b>(2,2,2)</b>	<b>(1,1,0)</b>	<b>(0,0,0)</b>	<b>(2,1,1)</b>	<b>2</b>		
I10.X	<b>(3,2,0)</b>	<b>(2,1,1)</b>	<b>(2,1,1)</b>	<b>(0,1,1)</b>	<b>(1,1,0)</b>	<b>2</b>	
J90.X	<b>(0,1,0)</b>	<b>(0,0,0)</b>	<b>(0,0,0)</b>	<b>(1,1,1)</b>	<b>(0,2,1)</b>	<b>(0,1,1)</b>	
						<b>1</b>	
	A09.X	E86.X	A41.9	C34.9	D63.0	I10.X	J90.X

Fig. 2. The frequent diseases matrix

The third step (section 2.3), generate a length-2 sequential patterns, annotations on item repeating patterns, and annotations on the projected databases as shown in Table 3. This step is based on the frequent item matrix  $F$ , Figure 2. For instance, we demonstrate the process for two rows  $I10.X$  and  $D63.0$ .

TABLE III  
PATTERN GENERATION FROM THE FREQUENT DISEASE MATRIX

Disease	Output Length-2 Sequential Patterns	Ann. on Repeating Items	Ann. on Projected DBs
J90.X	$\langle J90.X D63.0 \rangle: 2$	$\langle J90.X D63.0^+ \rangle$	$\emptyset$
I10.X	$\langle A09.X I10.X \rangle: 3$ , $\langle I10.X A09.X \rangle: 2$ , $\langle E86.X I10.X \rangle: 2$ , $\langle A41.9 I10.X \rangle: 2$ , $\langle I10.X I10.X \rangle: 2$	$\{A09.X^+ I10.X^+\}$ , $\{E86.X I10.X^+\}$ , $\{A09.X\}$ , $\langle A41.9 I10.X \rangle$ , $\{A09.X E86.X\}$	
D63.0	$\langle A09.X D63.0 \rangle: 2$ , $\langle C34.9 D63.0 \rangle: 2$ , $\langle D63.0 D63.0 \rangle: 2$	$\{A09.X^+ D63.0^+\}$ , $\{C34.9^+ D63.0^+\}$ , $\{D63.0 D63.0^+\}$	$\emptyset$
C34.9	$\langle A09.X C34.9 \rangle: 3$ , $\langle E86.X C34.9 \rangle: 2$ , $\langle C34.9 C34.9 \rangle: 2$	$\{A09.X^+ C34.9^+\}$ , $\{E86.X C34.9^+\}$ , $\{C34.9 C34.9^+\}$	$\langle E86.X C34.9 \rangle$ , $\{A09.X\}$
A41.9	$\langle A09.X A41.9 \rangle: 3$ , $\langle E86.X A41.9 \rangle: 2$ , $\langle A41.9 A41.9 \rangle: 2$ , $\langle A41.9 E86.X \rangle: 2$	$\{A09.X^+ A41.9\}$	$\langle E86.X A41.9 \rangle$ , $\{A41.9\}$ , $\{A09.X\}$
E86.X	$\langle A09.X E86.X \rangle: 5$ , $\langle E86.X A09.X \rangle: 4$	$\{A09.X^+ E86.X\}$	$\emptyset$
A09.X	$\langle A09.X A09.X \rangle: 5$	$\langle A09.X A09.X^+ \rangle$	$\emptyset$

The  $I10.X$  row has 5 frequent counters matrix respectively as follows.  $F[A09.X, I10.X] = (3,2,0)$

generates two length-2 sequential patterns  $\langle A09.X I10.X \rangle$ : 3 and  $\langle I10.X A09.X \rangle$ : 2.  $F[E86.X, I10.X] = (2,1,1)$  generates a length-2 sequential pattern  $\langle E86.X I10.X \rangle$ : 2.  $F[A41.9, I10.X] = (2,1,1)$  generates a length-2 sequential pattern  $\langle A41.9 I10.X \rangle$ : 2. At last,  $F[I10.X, I10.X] = 2$  generates a length-2 sequential pattern  $\langle I10.X I10.X \rangle$ : 2. Since both  $F[A09.X, A09.X]$  and  $F[I10.X, I10.X]$  are frequent, the annotation on repeating items  $\{A09.X^+ I10.X^+\}$  is generated which means one need to examine multiple occurrences of A09.X's and I10.X's and their combinations in the next scan. In addition,  $F[I10.X, I10.X]$  are frequent, add  $\langle I10.X I10.X^+ \rangle$  to the annotation on repeating items. Moreover, there are still two frequent items in the I10.X row, i.e. E86.X and A41.9 columns. Each column has only one frequent counter with  $F[I10.X, I10.X]$  is frequent.  $F[E86.X, E86.X]$  and  $F[A41.9, A41.9]$ , however, are not frequent. Therefore the annotation  $\langle E86.X I10.X^+ \rangle$  and  $\langle A41.9 I10.X^+ \rangle$  are generated. Furthermore, since  $F[A41.9, I10.X]$ ,  $F[E86.X, I10.X]$ , and  $F[E86.X, A41.9]$  form a pattern generating triple, and  $F[A41.9, I10.X] = (2,1,1)$  which means only  $\langle A41.9 I10.X \rangle$  is valid. The annotation for the projected database should be  $\langle A41.9 I10.X \rangle$ :  $\{A09.X, E86.X\}$ . It indicates generating  $\langle A41.9 I10.X \rangle$  projected database with item  $\{A09.X, E86.X\}$  included.  $F[E86.X, I10.X]$ ,  $F[A09.X, I10.X]$ , and  $F[A09.X, E86.X]$  also form a pattern generating triple.  $F[E86.X, I10.X] = (2,1,1)$ , it means only  $\langle E86.X I10.X \rangle$  is valid. The annotation for the projected database should be  $\langle E86.X I10.X \rangle$ :  $\{A09.X\}$ . It indicates generating  $\langle E86.X I10.X \rangle$  projected database with only item  $\{A09.X\}$  included. As a result see Table 3, the second row, i.e. disease I10.X.

The D63.0 row also has 5 counter frequent, which leads to generate 5 length-2 sequential pattern:  $\langle A09.X D63.0 \rangle$ : 2,  $\langle D63.0 A09.X \rangle$ : 2,  $\langle (A09.X D63.0) \rangle$ : 2,  $\langle C34.9 D63.0 \rangle$ : 2,  $\langle D63.0 D63.0 \rangle$ : 2.  $F[A09.X, A09.X]$ ,  $F[D63.0, D63.0]$ , and  $F[C34.9, C34.9]$  are frequent. Since more than one counter frequent in  $F[A09.X, D63.0] = (2,2,2)$ , the annotation on repeating items  $\{A09.X^+ D63.0^+\}$  is generated. Since only one counter frequent in  $F[C34.9, D63.0] = (2,1,1)$ , the annotation on repeating items  $\langle C34.9^+ D63.0^+ \rangle$  is generated. In addition, the annotation on repeating items  $\langle D63.0 D63.0^+ \rangle$  is generated. Furthermore, since  $F[C34.9, D63.0]$ ,  $F[A41.9, D63.0]$ , and  $F[A41.9, C34.9]$  do not form a pattern generating triple. It means no other item could be co-frequent with  $\langle C34.9, D63.0 \rangle$ , there is no projected database annotation with A41.9. As a result see Table 3, the third row, i.e. disease D63.0.

The fourth step (section 2.4), generate a length-3 sequential patterns based on pattern generation in Table 3, i.e. projecting database and generating

repeating pattern. There are 5 annotation on projected databases in Table 3 the fourth column, i.e.  $\langle E86.X I10.X \rangle$ :  $\{A09.X\}$ ,  $\langle A41.9 I10.X \rangle$ :  $\{A09.X E86.X\}$ ,  $\langle (E86.X C34.9) \rangle$ :  $\{A09.X\}$ , and  $\langle E86.X A41.9 \rangle$ :  $\{A09.X\}$ . For instance, we demonstrate the annotation  $\langle E86.X I10.X \rangle$ :  $\{A09.X\}$  by scanning sequential database one or more times. As a result, the projected databases are  $\langle A09.X E86.X A09.X (I10.X E86.X) \rangle$  and  $\langle I10.X A09.X A09.X E86.X A09.X I10.X \rangle$ . Based on the projected database, sequential patterns  $\langle A09.X E86.X A09.X I10.X \rangle$ : 2,  $\langle E86.X A09.X I10.X \rangle$ : 2, and  $\langle A09.X E86.X I10.X \rangle$ : 2 are discovered. The generated length-3 sequential patterns by projected databases are shown in Table 4.

TABLE IV  
SEQUENTIAL DISEASE PATTERNS FROM PROJECTED DATABASE

Ann. on Projected DBs	Projected Database	Sequential Patterns
$\langle E86.X I10.X \rangle$ : $\{A09.X\}$	$\langle A09.X E86.X$ $A09.X (I10.X$ $E86.X) \rangle, \langle I10.X$ $A09.X A09.X E86.X$ $A09.X I10.X \rangle$	$\langle A09.X E86.X$ $A09.X I10.X \rangle$ : 2 $\langle E86.X A09.X$ $I10.X \rangle$ : 2 $\langle A09.X E86.X$ $I10.X \rangle$ : 2 $\langle (A09.X A41.9)$ $I10.X \rangle$ : 2
$\langle A41.9 I10.X \rangle$ : $\{A09.X E86.X\}$	$\langle (A09.X A41.9)$ $E86.X A09.X (I10.X$ $E86.X) \rangle, \langle (A09.X$ $A41.9) A09.X E86.X$ $A09.X (I10.X$ $A41.9) \rangle$	$\langle A41.9 E86.X$ $A09.X I10.X \rangle$ : 2 $\langle A41.9 E86.X$ $I10.X \rangle$ : 2 $\langle A41.9 A09.X$ $I10.X \rangle$ : 2
$\langle (E86.X C34.9) \rangle$ : $\{A09.X\}$	$\langle (E86.X C34.9) A09.X \rangle,$ $\langle A09.X (E86.X$ $C34.9) \rangle$	$\langle A09.X (E86.X$ $C34.9) \rangle$ : 2
$\langle E86.X A41.9 \rangle$ : $\{A09.X\}$	$\langle A09.X E86.X$ $A41.9 \rangle, \langle A09.X$ $A09.X E86.X A09.X$ $A41.9 \rangle, \langle A09.X$ $(A09.X E86.X)$ $(A09.X A41.9) \rangle$	$\langle A09.X E86.X$ $A41.9 \rangle$ : 3

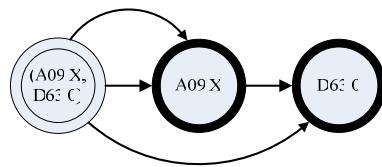
There are 14 annotations on repeating items including a looking for a particular and any ordered sequences (see Table 3 the third column). The particular ordered sequences are  $\langle J90.X D63.0^+ \rangle$ ,  $\langle E86.X I10.X^+ \rangle$ ,  $\langle A41.9 I10.X^+ \rangle$ ,  $\langle I10.X I10.X^+ \rangle$ ,  $\langle C34.9^+ D63.0^+ \rangle$ ,  $\langle D63.0 D63.0^+ \rangle$ ,  $\langle A09.X^+ C34.9^+ \rangle$ ,  $\langle E86.X C34.9^+ \rangle$ ,  $\langle C34.9 C34.9^+ \rangle$ , and  $\langle A09.X A09.X^+ \rangle$ . They should not be generated for further repeating patterns. The particular ordered sequences use the output length-2 sequential patterns. Moreover, there are 4 any ordered sequences, i.e.  $\{A09.X^+, I10.X^+\}$ ,  $\{A09.X^+, D63.0^+\}$ ,  $\{A09.X^+, A41.9\}$ , and  $\{A09.X^+, E86.X\}$ . For example, we demonstrate how to generate repeating items for  $\{A09.X^+, I10.X^+\}$ . Generate several sequence from  $\{A09.X^+, I10.X^+\}$ , e.g.  $\langle A09.X, I10.X, I10.X \rangle$ ,  $\langle I10.X, A09.X, I10.X \rangle$ ,  $\langle A09.X, I10.X, I10.X \rangle$ . For each sequence, scan sequential databases to discover

the frequent sequence pattern. For our example, there are 3 frequent sequence patterns, i.e.  $\langle A09.X, A09.X, I10.X \rangle$ : 2,  $\langle I10.X, A09.X, I10.X \rangle$ : 2, and  $\langle I10.X, A09.X, A09.X \rangle$ : 2. The generated length-3 sequential patterns by repeating item are shown in Table 5.

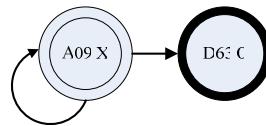
TABLE V  
SEQUENTIAL DISEASE PATTERNS FROM REPEATING ITEMS

Ann. on Repeating items	Sequential Patterns
$\{A09.X^+, I10.X^+\}$	$\langle A09.X, A09.X, I10.X \rangle: 2$ $\langle I10.X, A09.X, I10.X \rangle: 2$ $\langle I10.X, A09.X, A09.X \rangle: 2$ $\langle (A09.X, D63.0), A09.X, D63.0 \rangle: 2$ $\langle (A09.X, D63.0), A09.X \rangle: 2$
$\{A09.X^+, D63.0^+\}$	$\langle (A09.X, D63.0), D63.0 \rangle: 2$ $\langle A09.X, A09.X, D63.0 \rangle: 2$ $\langle D63.0, A09.X, D63.0 \rangle: 2$ $\langle (A09.X, A41.9), A09.X \rangle: 2$ $\langle A09.X, A09.X, A41.9 \rangle: 2$
$\{A09.X^+, E86.X\}$	$\langle A09.X, E86.X, A09.X \rangle: 4$ $\langle A09.X, A09.X, E86.X \rangle: 2$
$\{A09.X, A09.X^+\}$	$\langle A09.X, A09.X, A09.X \rangle: 2$

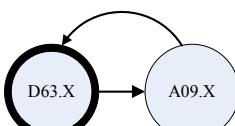
The last step as an optional step, visualize a sequential disease pattern using graph. For instance an annotation on repeating items  $\{A09.X^+, D63.0^+\}$  in Table 5 is visualized in Figure 3. Double circle is used for start sequence, bold circle is used for end sequence, and normal circle is used for transition sequence.



A.  $\langle (A09.X, D63.0), A09.X, D63.0 \rangle$   
 $\langle (A09.X, D63.0), A09.X \rangle$   
 $\langle (A09.X, D63.0), D63.0 \rangle$



B.  $\langle A09.X, A09.X, D63.0 \rangle$



C.  $\langle D63.0, A09.X, D63.0 \rangle$

Fig. 3. An  $\{A09.X^+, D63.0^+\}$  sequential pattern graph

#### IV. CONCLUSIONS

FreeSpan method can be used for mining sequential diseases pattern form database sequential. In case

medical database was built in different representative data, i.e. transactional database. The medical database should be transformed into a sequential database first. Then use FreeSpan to mine sequential diseases pattern. The generated patterns can be used a knowledge to predict sequential diseases. As a result the medical representative can take preventive and curative action more precisely.

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