# Design capacity tables for structural steel based on SNI 03-1729-2002: built-up sections

by Pamuda Pudjisuryadi

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## Design capacity tables for structural steel based on SNI 03-1729-2002: built-up sections

Effendy Tanojo<sup>a,\*</sup>, Pamuda Pudjisuryadi<sup>a</sup>, Billy Prawira Candra<sup>a</sup>, Welly William<sup>a</sup>

<sup>a</sup>Petra Christian University, Jl. Siwalankerto 121-131, Surabaya 60236, Indonesia

#### Abstract

Structural steel is commonly used as construction material. In designing structural steel, practitioners typically use the steel section properties table to obtain the necessary data needed to calculate the nominal strength of the selected section. The commercially available section properties tables in Indonesia typically list the weight, section area, inertia, radius of gyration, and section modulus of the immercially available steel sections. In many cases, it is not uncommon for built-up sections to be used as structural memters. The section properties of these built-up sections are not readily available in the aforementioned section properties table. A series of tables have been developed to enlist the section properties of the built-up sections with respect to several loads, i.e. tension, compression, bending, and shear. These nominal capacities will enable the practitioners to design built-up structural steel sections more easily and efficiently.

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Keywords: structural steel; section properties; design table

#### 1. Introduction

Steel is one of the most widely used construction materials in Indonesia. Bridges, warehouses, factories, airport terminals, office buildings, and apartments typically use structural steel. In Indonesia, steel are widely used since the 1970s. To ensure the safety of buildings constructed using structural steel, design codes have been issued by the regulators. Designing structural steel sections according to the design code requires the section properties data to

<sup>3</sup>rresponding author. *E-mail address:* effendy@petra.ac.id

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calculate the section nominal strength with respect to the working load. Tables enlisting the section properties of commercially available structural steel sections are frequently used to help the designer obtain the required section properties such as weight, area, inertia, and radius of gyration. However, these tables do 2t list the section properties of the built-up sections, which are also 2 pmmonly used in construction practices. The design code of structural steel in Indonesia, SNI 03-1729-2002[1], uses the Load and Resistance Factor Design (LRFD) concept. In LRFD, the factored load is compared with the nominal strength of the selected steel section? These nominal capacities can be calculated for each of the steel section with respect to the load. In this paper, tables enlisting the section properties of built-up steel sections will be presented. Moreover, these tables will show the nominal strength of the built-up steel sections with respect to tension, compression, bending, and shear loads.

#### 2. Scope of study

A literature study has been done to gather the required data for developing the design capacity tables. Data required are various design codes (especially the SNI 03-1729-2002[1]) and the list of the commercially available structural steel sections. A small research has also been done to find out which configurations of the built-up sections are most commonly used in construction practices. Double channels and double angles are among the most commonly used built-up steel sections in construction practices in Indonesia. Design tables for single channel and single angle section will also be presented, to make it easier for designers to compare the cost/benefit of built-up sections (double channel and double angle sections) and single sections. All calculations for obtaining the nominal capacities presented were pried out using Microsoft Excel spreadsheets, based on the SNI 03-1729-2002[1] design code. Nominal capacities with respect to tension, compression, bending, and shear are calculated and presented. Figure 1 below gives the description of the geometry of the sections.

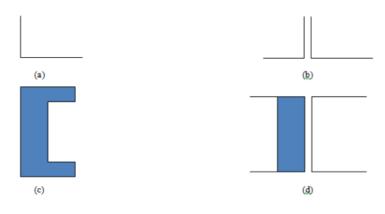


Fig. 1. (a) single angle; (b) double angle; (c) single channel; (d) double channel

#### 3. Assumptions and analysis

All calculations and requirements used in developing these tables are based on the SNI 03-1729-2002[1] design code. All steel used are BJ37 structural steel, 1 most widely available in Indonesia. The weight of the sections are shown for all the sections in all the tables, to enable the practitioners to select the most economical sections among the members with adequate nominal strength. For obvious reason, the page limitation, the complete tables are not shown here. Instead, the examples of the design tables will be shown.

3.1 Nominal strength in tension

In the design tables for tension members, there are two nominal strength presented for each section. The first one, nominal yield strength, gives the nominal strength at the yielding of the gross section. While nominal fracture strength gives the nominal strength when the stress of the net section reaches the ultimate stress ( $f_u$ ). The nominal yield strength,  $N_n$ , for tension members is calculated using Equation 1,

$$N_n = A_g \times f_y$$
 (1)  
where  $A_g = \text{gross section area}$   
 $f_y = \text{yield stress}$ 

while Equation 2 are used to calculate the nominal fracture strength.

 $A_e = U \times A_n$  = effective section area

$$N_n = A_e \times f_u \tag{2}$$

where

U = reduction factor

 $A_{e}$  = net section area

 $f_u^n$  = ultimate stress

These following assumptions are made when calculating the nominal strength shown on the tables :

- $A_n = 85\% A_g$  (Using the maximum allowable hole area)
- U = 1 (other U values can be incorporated into the design by multiplying the shown nominal strength with the desired U value)

(3)

Tables 1 to 4 show examples of design tables for tension members. The nominal strength with respect to tension loads are shown on the tables for the sections.

	Weight	$\phi N_n$			Weight	$\phi N_n$	
		Yield	Fracture			Yield	Fracture
	kg/m	(kN)	(kN)		kg/m	(kN)	(kN)
					Yield		
U 30 x 33 x 5 x 7	4.36	119.84	130.87	L 15 x 15 x 3	0.45	12.29	13.42
U 40 x 35 x 5 x 7	4.97	136.69	149.27	L 15 x 15 x 4	0.82	22.66	24.75
U 50 x 38 x 5 x 7	5.69	156.56	170.97	L 20 x 20 x 3	0.87	23.98	26.18

Table 3. Nominal Strength in Tension (Double Channel)			Table 4. Nominal S	Strength in Tension	(Double Ar	1gle)	
	Weight	φ N <sub>n</sub>			Weight	$\phi N_n$	
		Yield	Fracture			Yield	Fracture
	kg/m	(kN)	(kN)		kg/m	(kN)	(kN)
U 30 x 33 x 5 x 7	8.71	239.68	261.74	L 15 x 15 x 3	0.89	24.59	26.85
U 40 x 35 x 5 x 7	9.94	273.38	298.54	L 15 x 15 x 4	1.65	45.32	49.49
U 50 x 38 x 5 x 7	11.38	313.12	341.94	L 20 x 20 x 3	1.74	47.95	52.36

#### 3.2 Nominal Strength in Compression

Nominal strength in compression members is heavily dependent on its effective length  $(L_k)$ . The longer the effective length of the member, the more susceptible it is to buckling failure. Thus, the nominal strength for compression members are presented based on their effective length. Effective length  $(L_k)$  shown is in 1 meter (m) increment, up to 12 m (1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11 and 12 m).

The calculation of the nominal strength for compression members, and their dependency to the member's effective length are shown in Equations 2 to 10.

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$$N_n = A_g \times f_{cr} \tag{4}$$

where 
$$f_{cr} = \frac{f_y}{f_{cr}}$$
 (5)

for 
$$\lambda_c \le 0.25$$
,  $\omega = 1$  (6)

for 
$$0.25 < \lambda_c < 1.2$$
,  $\omega = \frac{1.43}{1.6 - 0.67\lambda_c}$  (7)

for 
$$\lambda_c \ge 1.2$$
,  $\omega = 1.25\lambda_c^2$  (8)  
 $L_{\rm p} \int_{T_{\rm p}}^{T_{\rm p}} f_{\rm p}$  (2)

where 
$$\lambda_c = \frac{L_k}{\pi r} \sqrt{\frac{J_y}{E}}$$
 (9)

These following assumptions are made when calculating the nominal strength shown on the tables :

- For double channels and double angles, the distance between the two sections is assumed to be the same value as the thickness of the single sections.
- For double channels and double angles, the recommended maximum allowable spacing of the couple plates  $(L_{1 max})$  are shown.
- Empty value cells in the nominal strength means that the section is not recommended to be used because one
  or more design requirements are not met.

Tables 5 to 8 show examples of design tables for compression members. The nominal strength with respect to compression loads are shown on the tables for the sections.

Table 5. Nominal S	Strength in Compressi	on (Single Channel).
	1.5.7	

$\phi N_n$		
$L_k = 1 m$	$L_k = 2 m$	$L_k = 3 m$
(kN)	(kN)	(kN)
68.25	-	-
81.19	23.61	-
98.98	32.13	-
	(kN) 68.25 81.19	(kN)         (kN)           68.25         -           81.19         23.61

Table 6. Nominal Strength in Compression (Single A	Angle).
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	$\phi N_n$		
	$L_k = 1 m$	$L_k = 2 m$	$L_k = 3 m$
	(kN)	(kN)	(kN)
L 30 x 30 x 3	8.32	-	-
L 30 x 30 x 4	10.71	-	-
L 30 x 30 x 5	12.83	-	-

Table 7. Nominal Strength in Compression (Double Channel).

	Weight	φ N <sub>n</sub>			
	kg/m	$L_k = 1 m$		$L_k = 2 m$	
		(kN)	L1 max (mm)	(kN)	L1 max (mm)
U 30 x 33 x 5 x 7	8.71	147.01	488.69	45.10	488.69
U 40 x 35 x 5 x 7	9.94	194.00	514.48	99.36	514.48
U 50 x 38 x 5 x 7	11.38	231.06	489.79	159.59	560.86

	Weight	$\phi N_n$			
	kg/m	$L_k = 1 m$		$L_k = 2 m$	
		(kN)	L1 max (mm)	(kN)	L1 max (mm)
. 30 x 30 x 5	4.36	60.89	440.98	-	-
L 35 x 35 x 4	4.19	69.67	526.76	20.86	526.76
L 35 x 35 x 6	6.07	99.65	517.36	29.17	517.36

#### 3.3 Nominal Strength in Bending (Local Buckling)

The design tables for flexural members in bending present the nominal strengt 8 n both x and y axis of the sections. The nominal strength values shown are the most critical ones, obtained from local flange buckling and local web buckling limit states. According to local flange buckling and local web buckling limit states, there are three categories of sections: compact, non-compact, and slender. Compact sections are the least susceptible ones to local buckling failure, while slender sections are the most susceptible ones. Different range of slenderness ratio ( $\lambda$ )

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values separates each categories. Equations 10 to 12 shows how to obtain the nominal strength values in local buckling for compact, non-compact, and slender sections.

for 
$$\lambda \leq \lambda_n$$
,  $M_n = M_n = Z \times f_v$  (compact) (10)

for 
$$\lambda_p < \lambda \le \lambda_r$$
,  $M_n = M_r + (M_p - M_r) \frac{(\lambda_r - \lambda)}{(\lambda_r - \lambda_p)}$  (non-compact) (11)

for 
$$\lambda > \lambda_r$$
,  $M_n = M_r \left(\frac{\lambda_r}{\lambda}\right)^2$  (slender) (12)

where  $M_r = S(f_v - f_r)$ 

Z = plastic section modulus

S = elastic section modulus

 $f_r = residual stress$ 

Tables 9 to 12 show examples of design tables for local buckling limit state. The nominal strength are shown on the tables for the sections.

						cal Buckling (Single Angle).
Wei	ight _ 🔶	Mn			Weight	φ Mn
	φ	Mn <sub>x</sub>	φ M <sub>ny</sub>			$\phi M_{nx} = \phi M_{ny}$
(kg/	/m) (1	kNm)	(kNm)		(kg/m)	(kNm)
U 30 x 33 x 5 x 7 4.30	6 1	.22	1.04	L 15 x 15 x 3	0.45	0.04
U 40 x 35 x 5 x 7 4.9	7 1	.93	1.29	L 15 x 15 x 4	0.82	0.08
U 50 x 38 x 5 x 7 5.69	9 2	.82	1.66	L 20 x 20 x 3	0.87	0.11

Table	<ol> <li>Nominal</li> </ol>	Strength in	Local	Buckling	(Double	Channel)
		W	eight	φ Mn		

		φ M <sub>nx</sub>	$\phi M_{ny}$
	(kg/m)	(kNm)	(kNm)
U 30 x 33 x 5 x 7	8.71	2.43	3.74
U 40 x 35 x 5 x 7	9.94	3.86	4.32
U 50 x 38 x 5 x 7	11.38	5.64	5.07

Table 12. Nominal Strength	in Local	Buckling	(Double Angle).
	Weight	φ Mn	

		φ M <sub>nx</sub>	φ M <sub>ny</sub>
	(kg/m)	(kNm)	(kNm)
L 15 x 15 x 3	0.89	0.09	0.14
L 15 x 15 x 4	1.65	0.15	0.32
L 20 x 20 x 3	1.74	0.23	0.36

#### 3.4 Nominal Strength in Bending (Lateral Torsional Buckling)

For flexural members in bending without continuous lateral support, the lateral torsional buckling limit state applies. The nominal strength due to lateral torsional buckling limit state is heavily dependent on the distance between lateral supports. The longer the distance between lateral supports the more susceptible the flexural members to lateral torsional buckling. Thus, the design tables for flexural members without continuous lateral support are presented based on the distance between their lateral supports. Distance between lateral supports (L) are shown in 1 meter (m) increment, up to 12 m (1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11 and 12 m). Based on its L value, members are categorized into three categories: short span, medium span, and long span. Members with short span are the least susceptible ones to lateral torsional buckling, while members with long span are the most susceptible ones. Equations 13 to 15 shows how to obtain the nominal strength values in lateral torsional buckling for members with short, medium, and long span.

for 
$$L \le L_p$$
,  $M_n = M_p = Z \times f_y$  (short span) (13)

for 
$$L_p < L \le L_r$$
,  $M_n = C_b \left[ M_r + (M_p - M_r) \frac{(L_r - L)}{(L_r - L_p)} \right]$  (medium span) (14)

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for 
$$L > L_r$$
,  $M_n = C_b \frac{\pi}{L} \sqrt{EI_y GJ + \left(\frac{\pi E}{L}\right)^2 I_y I_w}$  (long span) (15)

where 
$$C_b = \frac{12M_{\text{max}}}{2,5M_{\text{max}} + 3M_A + 4M_B + 3M_C}$$
 (16)

G = shear modulus J = twist constant $I_w = \frac{I_y h^2}{h^2}$ 

4

Tables 13 to 16 show examples of design tables for lateral torsional buckling limit state. The nominal strength are shown on the tables for the sections.

Table 13. Nominal Strength in Lateral Torsional Buckling. (Single Channel)

	φ M <sub>n</sub>	
	L = 1 m	L = 2 m
	(kNm)	(kNm)
U 30 x 33 x 5 x 7	1.19	1.14
U 40 x 35 x 5 x 7	1.88	1.77
U 50 x 38 x 5 x 7	2.74	2.55

Table 15. Nominal Strength in Lateral Torsional Buckling (Double Channel)

(Bouble Chamber).			
	φ M <sub>n</sub>		
	L = 1 m	L = 2 m	
	(kNm)	(kNm)	
U 30 x 33 x 5 x 7	3.64	3.43	
U 40 x 35 x 5 x 7	4.28	4.10	
U 50 x 38 x 5 x 7	5.07	4.90	

Table 14. Nominal Strength in	Lateral	Torsional	Buckling
(Single Angle).			

(	φ M <sub>n</sub>	
	L = 1 m	L = 2 m
	(kNm)	(kNm)
L 15 x 15 x 3	0.09	0.05
L 15 x 15 x 4	0.19	0.16
L 20 x 20 x 3	0.27	0.20

Table 16. Nominal Strength in Lateral Torsional Buckling (Double Angle).

	$\phi M_n$	
	L = 1 m	L = 2 m
	(kNm)	(kNm)
L 15 x 15 x 3	0.13	0.10
L 15 x 15 x 4	0.30	0.26
L 20 x 20 x 3	0.33	0.29

#### 3.5 Nominal Strength in Shear

In steel sections under shear, the web will completely yield long before the flanges begin to yield. Thus, yielding of the web is the most important shear limit states. The shear yield stress is typically taken as 60% of the tensile yield stress, thus:

$$f_{v} = \frac{V_{n}}{A_{w}} = \frac{4}{0.6f_{y}}$$
(17)  
$$V_{n} = 0.6f_{y}A_{w}$$
(18)

The Equation 18 above is the nominal strength in shear provided that there is no shear buckling of the web. Shear buckling of the web depends on its  $h/t_w$  ratio. If the ratio is too large, the web will buckle elastically or inelastically in shear.

Tables 17 to 20 show examples of design tables for flexural members in shear. The nominal strength with respect to shear loads are shown on the tables for the sections.

Table 17. Nominal Stre	ngth in Shear	(Single Channel).	Table 18. Nominal Stre	ength in Shear (Sir	igle Angle).
	Weight	φ V <sub>n</sub>		Weight	$\phi V_n$
	(kg/m)	(kN)		(kg/m)	(kN)
U 30 x 33 x 5 x 7	4.36	19.44	L 15 x 15 x 3	0.45	3.89
U 40 x 35 x 5 x 7	4.97	25.92	L 15 x 15 x 4	0.82	7.78
U 50 x 38 x 5 x 7	5.69	32.40	L 20 x 20 x 3	0.87	7.78

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Table 19. Nominal Strength in Shear (Double Channel).

	Weight	φ V <sub>n</sub>	
	(kg/m)	(kN)	
U 30 x 33 x 5 x 7	8.71	38.88	L 15 x 15 x 3
U 40 x 35 x 5 x 7	9.94	51.84	L 15 x 15 x 4
U 50 x 38 x 5 x 7	11.38	64.80	L 20 x 20 x 3

Table 20. Nomina	l Strength in Shear	(Double Angle).
------------------	---------------------	-----------------

	Weight	φ V <sub>n</sub>
	(kg/m)	(kN)
L 15 x 15 x 3	0.89	7.78
L 15 x 15 x 4	1.65	15.55
L 20 x 20 x 3	1.74	15.55

#### 4. Concluding remarks

Examples of the developed design capacity tables for built-up sections have been presented. The selected built-up sections are double channels, double angles, and castellated beam sections. Nominal capacities, based on SNI 03-1727-2002[1], for these sections are presented, with respect to tension, compression, bending, and she ploads.

Design capacity tables for single channels and single angles sections are also presented as they are required to make it easier for the designer to weigh the cost/benefit of using built-up sections (double channels and double angles sections) compared to single sections. The tables also provide additional information as compared to the commercially available section properties table because they not only showing the section properties values, but also shows the nominal strength values of the sections with respect to tension, compression, bending, and shear loads.

#### References

[1] Department of Public Works, Design Code of Steel Structures for Buildings: SNI 03-1729-2002, Jakarta, 2002.

[2] Proposed Specification for Structural Steel Beams with Web Openings, Journal of Structural Engineering. 118 (1992), 3315-3349.

[3] Dharmawan, M., Design Tables for Structural Steel as a Tool In Steel Construction Practice, Unpublished undergraduate thesis, Petra Christian University, Surabaya, 2014.

[4] Gunawan, R., Morisco, Section Properties Table of Structural Steel Sections, Yogyakarta, 1987.

[5] Setiawan, A., Design of Steel Structure with LRFD Method [Based On SNI 03-1729-2002], Semarang, 2008.

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