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| Figure 1 to taa a constant force, which is removed after s.<br>Thrifogeusk four that all knowled exploration the simulation, and the red line is calculated using Simulink. Yesh that valuation was performed by comparing the displacement response of the system<br>in Figure 1. To a sinusoidal data (dynamic force), to the value calculated using Simulink. (Version 9.1, The MattWorks in K. Nattick, M. K. USA), as shown in Figure 1. Purthermore, in his case, the simulated displacements were<br>in close agreement with the calculated values. 2.2.2. Modelling the Diametric Compression of a Spherical Particle in DMP models, macroscopic bodies are sub-divided into computational particles (badds). Since in this work,<br>we study KV bods that can be used in DMP of other particle-based multiphysiss methods), we extended the validation to macroscopic bodies are sub-divided into<br>computational bads in different ways. 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Do a sinusoidal baddie force on the system deviced in Figure 1. Do a sinusoidal baddie force on the system deviced in Figure 1. Do a sinusoidal baddie fo | Industrial Engineering Department, Peter Christian University, Surabaya 60236, Indonesia * Correspondence:<br>"77 Astract" Sociosatic bonds intended for Discrete Multiphysics (DMP) models are developed to allow the<br>maceutical sector and that have not been addressed by the Discrete Element Method (DEM). The model is<br>use validated by the simulation of spherical homogeneous linear lastic: and viscoelastic particles. The method<br>low the sub-surface stress fields to be computed, and hence an accurate description of the gross deformation,<br>syvords: Kelvin-Volgi viscoelastic bonds: coarse grained model: particles method<br>low the sub-surface stress, fields to be computed, and hence an accurate description of the gross deformation,<br>solution. In sub-surface stress, fields to be computed and hence an accurate description of the gross deformation,<br>solution is a bit as the costs, and and the sub-surface stress pointing gradient in the<br>and a softer core. For particles formed from an organic polymer such as microcrystalline cellulose, the ingress<br>and the DMP can address problems that would be very difficult, if not impossible, for traditional<br>capsules' breakup [12, 13], and fuzzy boundaries (e.g., a tablets' dissolution] [14]. In many of the above<br>dia 10 32802 (Hennengineering) (KO) viscoelastic model that involves springs and also dashpots<br>to have the sub-sub-site advector of the sub-sub-site model that involves springs and also dashpots<br>and a constant visiocity to a specified displacement and unloaded, or alternatively held in position. To<br>risc the interaction between the particle stress particles) are sub-divided into computational breads.<br>Here, the approach is that macroscopic bodies (such as particles) are sub-divided into computational breads,<br>address that divide as a specified or extreparticle. The method by ore springs<br>to be interaction between the particles that are packed together to represent unconsolidated proves modia<br>webstress divide represented by beads connected by linear syrings model, under diam | of Birmingham, Birmingham B15 2TT, UK: a alexiadis@bham.ac.uk (AA): m j.adams@bham.ac.uk (AA): 727<br>study of viscelestic particles with a adri March 2020. Accepted: 25 April 2020. Published: 1 May 2020 775<br>study of viscelestic particles with a adri March 2020. Accepted: 25 April 2020. Published: 1 May 2020 775<br>study of viscelestic particles with a adri Ouder shell due, for example. I to the partial ingress of moisture. This<br>is based on formine a particle from an assembly of beads connected by serings or serings and dashposis. Nat alki<br>I Lis computationally more exemsive than DEM. Lot could be used to define more effective interaction laws. Re-<br>production a particles 1: Introduction The Discrete Element Method (DEM) has been employed to study a ran<br>and without a liquid binder [2], and the relaxes of Active Pharmacoutical Ingredients (APIS) from powder inhalat<br>been simulated by gluing primary particles together such that the Interior is essentially rigid in order to implicit<br>sectoric will cause them to baccow viscolestic. Mesh-free methods and, in particular, particle methods such<br>of the conventional, mesh-based, numerical methods; see [5] for a review. Particle methods can also be coupled<br>is based on 'compatitoling algoritical particles' spring Model (MS) <u>Chamicinguestical 2020, 4</u> , 30;<br>and non-linear springs for modeling desitic materials. In the current study, the method is actived to Viscoeles<br>in the solid phase is often represented by a Lattice Spring Model (MS) <u>Chamicinguestical 2020, 4</u> , 30;<br>and non-linear springs for modeling desitic materials. In the current study, the method is activened to Viscoeles<br>in the stress relaxant forces are agrided to the system resonance with the stress relaxanted for a set agride to the system of the set reserve particle based<br>multiphysics techniques (e.g., DMP) with the ability to model viscoelestic theory has been employed to descr.<br>The stress relaxant forces are agride to the system resonance theory has been employed to descr.<br>(18) The evolution of the permeability with |
| STimulusEs influedinsks: influedinsks: influedinsks: he disabacement calculated intor the simulation, and the red line 5 calculated using Simuluk. A third validation was performed by comparing the displacement response of the system<br>in close agreement with the calculated values. 2.2.2. Modelling the Diametric Compression of a Spherical Particle In DMP models, macroscopic bodies are sub-divided into computational particles (beads). Since in this work,<br>we study KV bonds that can be used in DMP (or ther particle-based multiphysics methods), we extended the validation to macroscopic spheres that accounted for multiple KV bonds. A sphere could be sub-divided into<br>computational badies in different ways. Here, we employed two approaches: the beads were arranged on (a) a regular loading to into the sinulation, and the points are<br>calculated using Simuluk, displacements calculated from the simulation, and the points are<br>calculated using Simuluk. Final Simuluk Change and the red line Simuluk Simulus Simuluk Simul   | tnitoi,onn., i.ie.e.i,e,E.E,qquuaatitoionn((44()4)). Figur3e. 3. Responsoef othfethe system depicteidn in  | ccaalclcuulalateteddffrroommththeessimimuulalattioionnaanandnddthttheheaenanalayltyictiaclasloslsouoltulioutr<br>Figur1e t1o tao a constant force, whichis is removed afte6r s.   |
| we study kV bonds that can be used in DMP (or other particle-based multiphysics methods), we extended the validation to macroscopic spheres that accounted for multiple KV bonds. A sphere could be sub-divided into computational bases in different ways. Here, we employed two approaches: the beads were arranged on (a) a regular cubic lattice and (b) an irregular tetrahedral lattice. Ejucur 4. Response of the system desicted in Figure 1 to a sinusoidal loading force. The lines are the displacements calculated from the simulation, and the points are calculated using Simuliak. Figure 3. Response of the system desicted in Figure 1. Lo a sinusoidal loading force. The lines are the displacements calculated from the simulation, and the points are calculated using Simular. Figure 3. Response of the system desicted in Figure 1. Lo a constant force which is removade after 6.s. ChemEThyleiphoethyl             | alade using <u>Simulink</u> , A third validation was performed by comparing the displacement response of the system<br>Norks Inc. Natick, MA, USA), as shown in Figure 4. Furthermore, in this case, the simulated displacements were<br>be in DMP models, macroscopic bodies are sub-divided into computational particles (beads). Since in this work,  | STimhuesuibnilignukSe. Imlinuellinskt. he displacement calculated from the simulation, and the red line is calculate<br>in Figure 1 to a sinusoidal load (dynamic force), to the value calculated using Simulink (Version 9.1, The MathW<br>in close agreement with the calculated values. 2.2.2. Modelling the Diametric Compression of a Spherical Partici  |
| calculated using Simulink, displacements calculated from the simulation, and the points are calculated using Simulink. Figure 3. Besones of the system denoted in Figure 1 to a constant force, which is removed after 6.5.<br>ChemEThiopeinbeelruineg/Jano2261, st.17.86 eER REVIEW 5 of the 2.2.2. Modelling the<br>Diametric Compression of a Spherical Particle In DMP models, macroscopic bodies are sub-divided into computational particles (beads). Since in this work, we study KV bonds that can be used in DMP (or other particle-<br>based multiphysics methiopsics) ethic Meesspherons deced titheesysselitical incomdatibleepoadintical particles (beads). Since in this work, we study KV bonds that can be used in DMP (or other particle-<br>based multiphysics methiopsics). The searcher of the system and the spherical particle (Figure 5a) was constructed from cubic lattice can (b) in regular tetrahedral lattitice. The first case, the spherical particle (Figure 5a) was constructed from cubic lattice calcipsical structure of the system denotes of     | validation to macroscopic spheres that accounted for multiple KV bonds. A sphere could be sub-divided into<br>regular cubic lattice and (b) an irregular tetrahedral lattice. <u>Figure 4. Response of the system depicted in Figure</u>   | we study KV bonds that can be used in DMP (or other particle-based multiphysics methods), we extended the va<br>computational beads in different ways. Here, we employed two approaches: the beads were arranged on (a) a r   |
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| between two parallel compression planes, which arare represented bybyrededlines; (b)ba)nanelementary ceclelofied a cubic fattice. The tetrahedral cells were created by discretising the sphere with a finite-element mesh generator. In this case, the distance between the beads was not perfectly uniform, and for this reason, we called it a disordered model. Using this approach, less beads were required, but the calculation of the elastic modulus a priori (Equation (5)) was less accurate [26]. A spherical particle based on a disorder model with 5921 beads was created using an open-source 3D finite element grid generator [28]. As in the case of the cubic istitice, the beads were conceled to their neighbours either with inar springs or KV bonds to model, respectively, elastic and viscoelastic materiating. The tetrahedral cells were created by discretising the sphere with a finite-element mesh generator. In this case, the distance between the beads was not perfectly uniform, and for this reason, we called It a disordered model. Using this approach, less beads were required, but the calculation of the elastic modulus a priori (Equation (5)) was less accurate [26]. A spherical particle based on a disorder done of the sphere dual using an open-source 3D finite element grid generator [28]. As in the case of the cubic latitice, the beads were connected to their neighbours either with linear springs or KV bonds to model, respectively, elastic and viscoelastic materials. Two parallel soil planes were applied to the particle in order to simulate diametric compression. They exerted a force to compress the particle, where the magnitude of the force, F(7), is given by [29]; F(7) = S(rb Ri)2, – (6) where S is the specified force constant, R is the position of the plane and rb R is the bead to the plane. The force is repulsive, and F(7) = 0 for b > R. The force constant was set to at 11 is noted is multiones, one plane compressed the particle with a constant velocity for both the elastic and viscoelastic particle, the was were and              | onk. nToftwenctaosreeopfreisineneatr<br>jocnubeicitweetnicethecemiliamssoedsealnsdatrheeksntioffwnenstso<br>teicceocnenilecwtliothn bneetawreesetnntehieghmbaosusres and ntehxet nsetlaffrnesets-<br>atthitecorrycetild bweit0h. zn5e[a2766]s. t. annedig/houonugr samndodneixtustiseagrievsetn-<br>[26], and Young's modulus is given by the following relationship [27]: E = 2.5 k/l (5) E = 2.5 k/l (5)<br>sissusussisolino'n' (Sseecttilioonn3.),o.urumrmodoedlewklillible<br>cfettyfetyfetalsitistischspherherenebyebonyholyapkcacoccounulinntginfgor   | ealiarestaidcyspsthuedreiesd(Jainnedarmsapsris-rsgpsr)imgacsubcolmilaptuiticeeddeolirmcoondeplasariscor<br>(psupreinky)gs-lianstitacht, omhoosgbeenonusalisroetardopylisctundalisedri, aalmsdit Inheascso-nspreicingij<br>orfetphreessepnrtin(pgsuraerley)seellaeestlieedhaopmporogpenrioautesliyso(2tr6b).icFormaatecruiablisciflatht<br>sneolfghthbeouznijminegasrasperisnegles.ttehde Paopiasroopmr siartaetlyo(1zs6b).reforicteadcbuyblichelat<br>nbeyigthhbeolurilloivinelargsperialnitogen, shthiepP2o7is).soms ratio is predicted by the theory to be 0.25 (2<br>whethreef lisistheheleinegstigthhodarianedegdegeofotthehececlei.lli.ninthee'ReseusultistaandDDbis<br>bleinintiatialuyliyavalialidateddeagaagainsinstithtehesestehehooreneticaticalvalvalueusesfortar paepferecr   |
| particle in order to simulate diametric compression. They exerted a force to compress the particle, where $re$ is repulsive, and $F(r)$ is given by [29]: $F(r) = S(b \operatorname{Ri})_2$ , $-(6)$ where $S$ is the specified force constant, Ri<br>is the position of the plane and $re$ Ri is the distance from $-$ the bead to the plane. The force is repulsive, and $F(r) = 0$ for $rb > R$ . The force constant was set to be 1010 Nm $- 2$ for al simulations, one plane compression planes. During the compression planes. During the compression planes. During the compression loading simulations, one plane compressed the particle with a constant velocity for both the elastic and viscoelastic particle involves, while the other was maintained static. For<br>the viscoelastic particle, the displaced plane was held at its final position after the loading to allow for relaxation. The force and particle displacement were recorded during the simulations, and a time step of 10 $-113$ was  | ectellotloral acubic lattice. The tetrahedral cells were created by discretising the sphere with a finite-element<br>we called it a disordered model. Using this approach, less beads were required, but the calculation of the elastic<br>21 beads was created using an open-source 3D finite element grid generator [28]. As in the case of the cubic<br>well, elastic and viscolastic materials. The tetrahedral cells were required, but the calculation of the elastic<br>disorder model with 5921 beads was created to grissing an open-source 3D finite element grid generator [28]. As in<br>disorder model with 5921 beads was created to grissing an open-source 3D finite element grid generator [28]. As   | between two parallel compression planes, which areare represented bybyrerdedlines; (b)ba)nanelementary cer<br>mesh generator. In this case, the distance between the beads was not perfectly uniform, and for this reason, we<br>modulus a priori (Equation (5)) was less accurate [26]. A spherical particle based on a disorder model with 5921<br>lattice, the beads were commected to their neighbours either with linear springs or KV bonks to model, respective<br>finite-element mesh generator. In this case, the distance between the beads was not perfectly uniform, and for<br>calculation of the elastic modulus a priori (Equation (5)) was less accurate [26]. A spherical particle based on a  |
| does to integrate rewron's equations of include. It is were norm include any boace use beginners of a weighter of a structure in the structure of mode and structure in the end to be any boace any              | nagnitude of the force, $F(r)$ , is given by [29]: $F(r) = S(Fb R)2$ , $-(6)$ where S is the specified force constant, Ri<br>F(r) = 0 for $r > 8$ . The force constant was set to be 1010 Nm-2 for all simulations in order to represent rigid<br>stant velocity for both the elastic and viscoelastic particle models, while the other was maintained static. For<br>on. The force and particle displacement were recorded during the simulations, and a time step of 10–11 s was<br>recovery responses of a two-bead system, as shown in Figure 3, but cannot model stress relaxation behaviour.<br>bonds, stress relaxation behaviour could be observed. This is because a many-bead particle model connected<br>oligit units assembled in series. The generalized KV model has been employed, for example to study the<br>Particles 3.1.1. Cubic Lattice Cell Model Figure 6 a presents the simulated force as a function of displacement<br>ere compared against the Hertz theory predictions (Equation (1)) and the comparison depicted in Figure 6.   | particle in order to simulate diametric compression. They exerted a force to compress the particle, where the m<br>is the position of the plane and to Ri is the distance from – the bead to the plane. The force is repulsive, and FC<br>compression planes. During the compression loading simulations, one plane compressed the particle with a cons<br>the viscolestic particle, the displaced plane was held at its final position after the loading to allow for relaxation<br>used to integrate Newton's equations of motion. It is well known that the KV model can produce the creep and r<br>However, as will be shown in the next section, for the many-bead spherical particle models connected with KV b<br>with KV bonds is similar to a generalized KV model, i.e., a viscoelastic material model composed of N kelvim–Vol<br>viscoelastic properties of micro-cracked materials [30]. 3. Result and Discussion 3.1. PerfectIVE [Eastic Spherical]<br>for an elastic spherical particle based on the cubic lattice cell with a spring constant of 200 km – 1. The data wer<br>The force and displacement calculated from the simulations were nearly identical to the Hartz theory. The fluctu   |

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